$p \rightarrow q$	
q	
$\therefore p$	
r	Is this valid?
	NO

Steps of Proof	Reason
1. <i>q</i> is true	Given
2. $(p \rightarrow q)$ is true	Given
3. (<i>false</i> -> <i>true</i>) is true	#1 & #2 with possible fact
4. <i>p</i> could be false	From #3
5. It is invalid for that <i>p</i> must be true	From #4

$p \vee q$

 $\frac{\sim q}{\therefore p}$

Is this valid?

Yes

Steps of Proof	Reason
1. $\sim q$ is true	Given
2. q is false	Opposite of true is false
3. $(p \lor q)$ is true	Given
4. $(false \lor false)$ is false	Fact
5. <i>p</i> must be true	From #2 & #4

$$\frac{p \to (q \land r)}{p}$$

Is this valid? Yes

Steps of Proof	Reason
1. <i>p</i> is true	Given
2. $(p \rightarrow (q \land r))$ is true	Given
3. $(true \rightarrow (q \land r))$ is true	From #1 & #2
4. $(true \rightarrow true)$ is true	Fact
5. $(true \rightarrow false)$ is false	Fact
6. $(q \land r)$ must be true	From #3, #4 & #5
7. <i>r</i> must be true	From #5 & connections with
	"and" must be all true